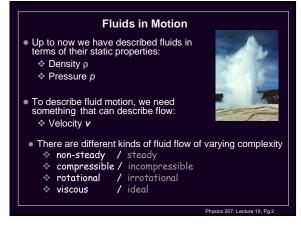
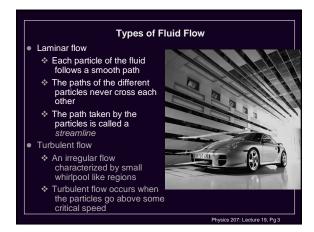
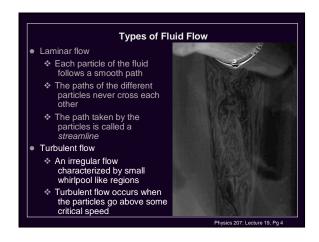
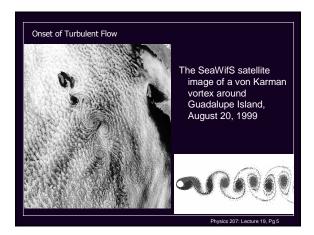
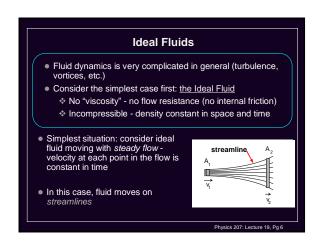
Physics 207, Lecture 19, Nov. 8 • Agenda: Chapter 14, Finish, Chapter 15, Start • Ch. 14: Fluid flow • Ch. 15: Oscillatory motion • Linear oscillator • Simple pendulum • Physical pendulum • Torsional pendulum Assignments: • Problem Set 7 due Nov. 14, Tuesday 11:59 PM • For Monday, Finish Chapter 15, Start Chapter 16

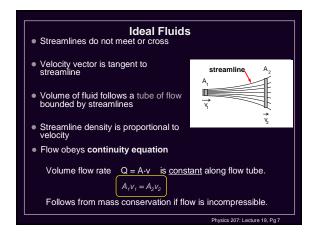


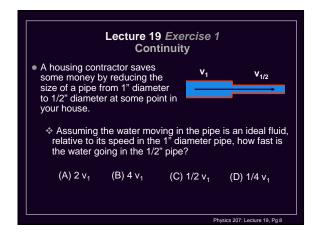


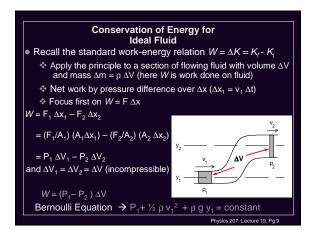


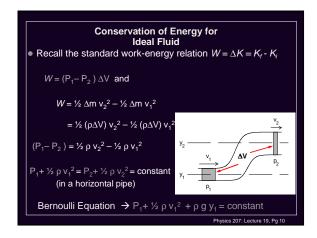


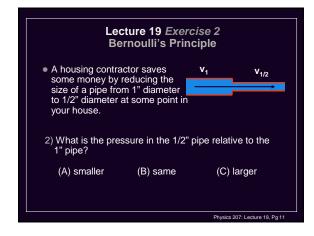


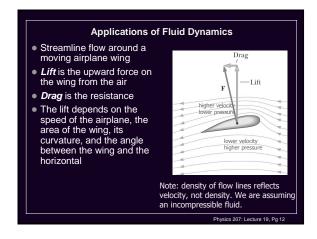


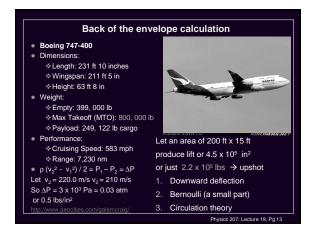


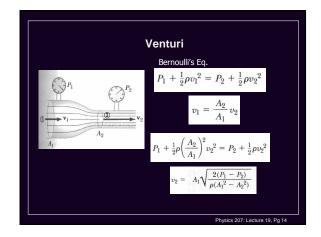


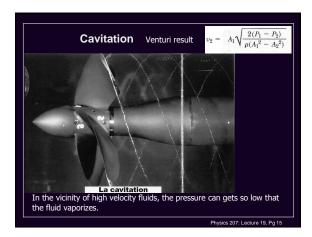


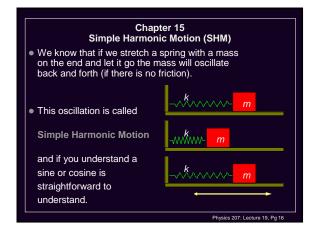


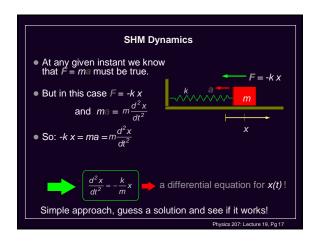


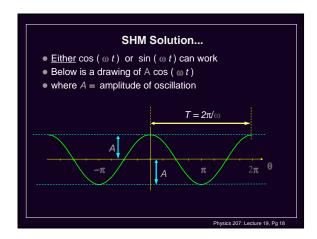


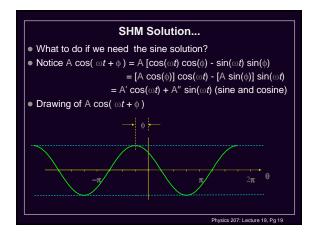


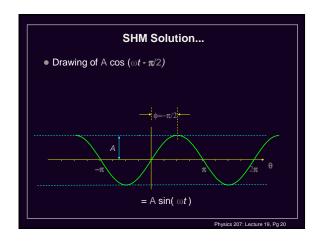


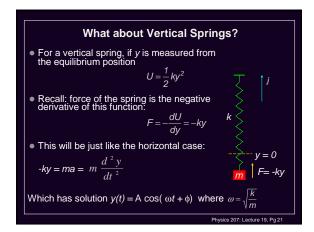


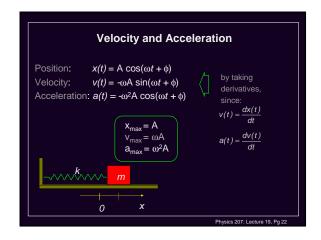


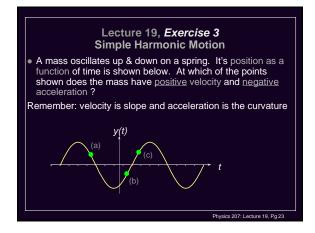


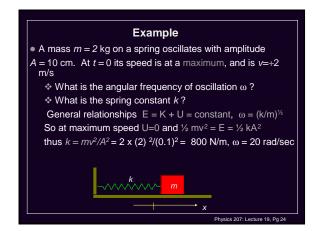


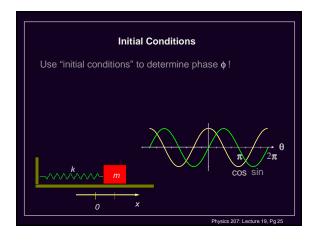


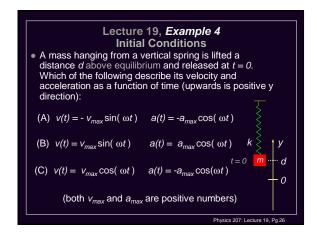






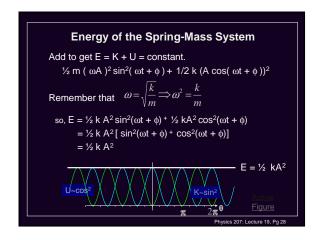




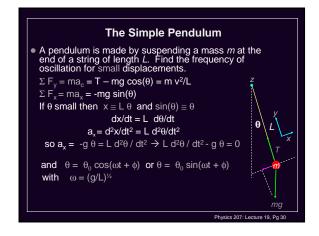


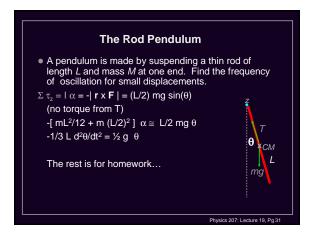
Energy of the Spring-Mass System

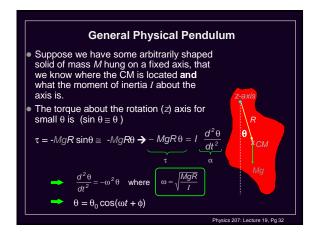
We know enough to discuss the mechanical energy of the oscillating mass on a spring. $x(t) = A\cos(\omega t + \phi)$ $x(t) = -\omega A\sin(\omega t + \phi)$ $a(t) = -\omega^2 A\cos(\omega t + \phi)$ Kinetic energy is always $K = \frac{1}{2} mv^2$ $K = \frac{1}{2} m\left[-\omega A\sin(\omega t + \phi)\right]^2$ And the potential energy of a spring is, $U = \frac{1}{2} k x^2$ $U = \frac{1}{2} k \left[A\cos(\omega t + \phi)\right]^2$ Physics 207: Lecture 19, Pg 27

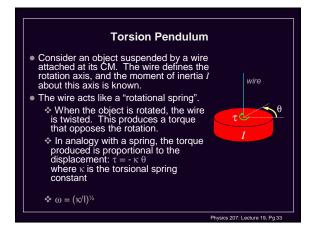


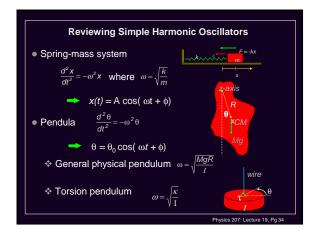
• The most general solution is $x = A \cos(\omega t + \phi)$ where A = amplitude $\omega =$ (angular) frequency $\phi =$ phase constant
• For SHM without friction, $\omega = \sqrt{\frac{k}{m}}$ • The frequency does not depend on the amplitude!
• We will see that this is true of all simple harmonic motion!
• The oscillation occurs around the equilibrium point where the force is zero!
• Energy is a constant, it transfers between potential and kinetic.

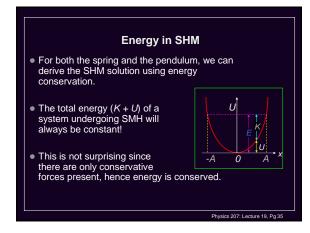


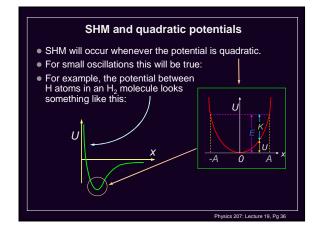












- Lecture 19, Recap

 Agenda: Chapter 14, Finish, Chapter 15, Start
 - . Ch. 14: Fluid flow
 - Ch. 15: Oscillatory motion
 - Linear spring oscillator
 - Simple pendulum
 - Physical pendulum
 - Torsional pendulum

- Problem Set 7 due Nov. 14, Tuesday 11:59 PM
- For Monday, Finish Chapter 15, Start Chapter 16

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