

Lecture 29: Exercise 1

Efficiency

Consider two heat engines:

Engine I:

Requires Q_{in} = 100 J of heat added to system to get W=10 J of work (done on world in cycle)

Engine II:

To get W=10 J of work, Q_{out} = 100 J of heat is exhausted to the environment

Compare ε_i, the efficiency of engine I, to ε_{II}, the efficiency of engine II.

(A) ε_I < ε_{II}

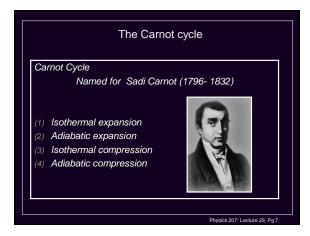
(B) ε_I > ε_{II}

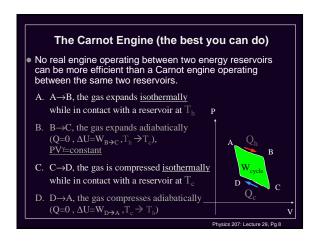
(C) Not enough data to determine

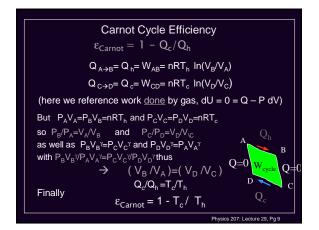
Reversible/irreversible processes and the best engine, ever

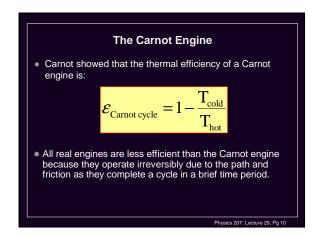
Reversible process:
Every state along some path is an equilibrium state
The system can be returned to its initial conditions along the same path
Irreversible process;
Process which is not reversible!

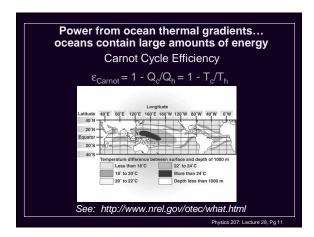
All real physical processes are irreversible
e.g. energy is lost through friction and the initial conditions cannot be reached along the same path
However, some processes are almost reversible
If they occur slowly enough (so that system is almost in equilibrium)

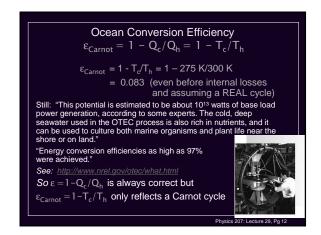


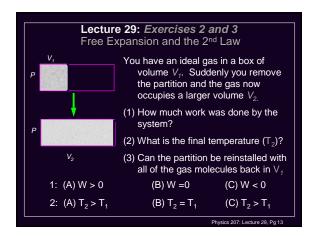


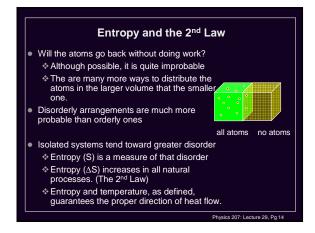


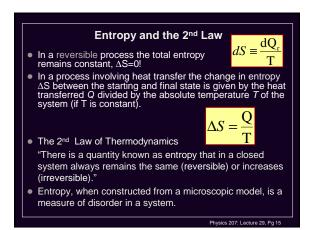


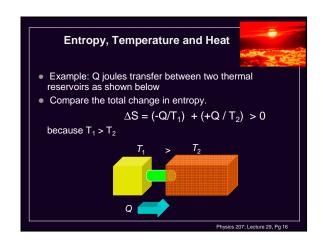


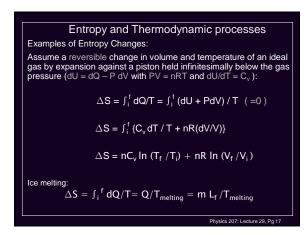












Entropy and Thermodynamic processes Examples of Entropy Changes: Assume a reversible change in volume and temperature of an ideal gas by expansion against a piston held infinitesimally below the gas pressure (dU = dQ - P dV with PV = nRT and dU/dT = C_v): $So \ does \ \Delta S = 0?$ $\Delta S = nC_v \ ln \ (T_t / T_t) + nR \ ln \ (V_t / V_t)$ $PV = nRT \ and \ PV^{\gamma} = constant \ \rightarrow TV^{\gamma 1} = constant$ $T_t V_t^{\gamma 1} = T_t V_t^{\gamma 1}$ $T_t / T_t = (V_t / V_t)^{\gamma 1} \ and \ let \ \gamma = 5/3$ $\Delta S = 3/2 \ nR \ ln \ (V_t / V_t)^{2/3} \) + nR \ ln \ (V_t / V_t)$ $\Delta S = nR \ ln \ (V_t / V_t) - nR \ ln \ (V_t / V_t) = 0 \ !$ Physics 207: Lecture 29, Pg 18

